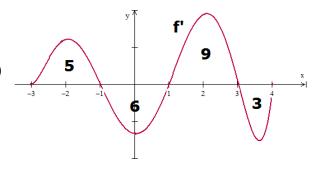
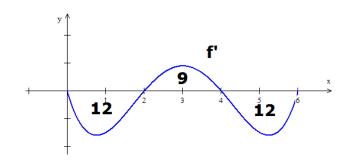
1. 
$$f(x) = -x^2 + 2x + 1$$
, [0,4]

2. 
$$f(x) = \frac{1}{3}x - 2\sqrt{x}$$
; [1,16]

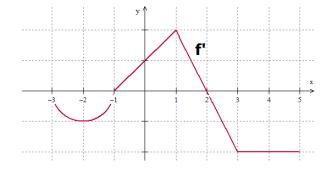
3. f' is graphed on the interval [-3,4] with the areas labeled as shown. If f(1)=2, find the maximum and minimum value of f(x) on [-3,4]. Justify your answer.

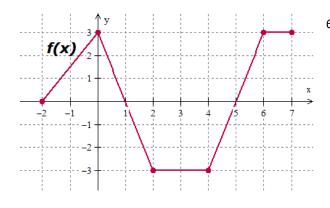




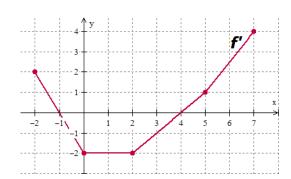
4. f' is graphed on the interval [0,6] with the areas labeled as shown. If f(6)=8, find the maximum and minimum value of f(x) on [0,6]. Justify your answer.

5. f' is graphed on the interval [-3,5]. If f(0)=1, find the maximum and minimum value of f(x) on [-3,5]. Justify your answer.





- $h(x) = \int_{2}^{x} f(t)dt$  The graph of f is pictured. Find
  - a. Find h(-2) and h(4)
  - b. Find h'(2) and h'(0)
  - c. Where is h concave up? JYA
  - d. Where is h increasing? JYA
  - e. Where is h decreasing AND concave down? JYA
  - f. Name the maximum and minimum values of h on the interval [-2,7]. JYA.



7. f' is graphed on the interval [-2,7]. If f(4) = 5, find the maximum and minimum value of f(x) on [-2,7]. Justify your answer.

- 8.  $a(x) = \int_{0}^{x} f(t)dt$  The graph of f is pictured.
  - a. Find a(2) and a(3)
  - b. Find a'(2) and a'(5)
  - c. Find a''(2) and a''(4)
  - d. Where is a increasing? JYA
  - e. Name the maximum and minimum values of a(x) on the interval [0,8]. JYA.

